PANAGIOTIS STEFANIDES

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http://www.stefanides.gr
http://www.stefanides.gr/pdf/GOLDEN ROOT SYMMETRIES OF GEOMETRIC FOR MS_by_Panagi...

WORK RELATED TO THE QUADRATURE OF THE CIRCLE VIA INTERPRETING PLATO'S TIMAEUS " MOST BEAUTIFUL TRIANGLE"

This work, presented to various conferences, is a proposed interpretation of Plato's Timaeus Scalene Orthogonal Triangle by Panagiotis Stefanides.

It is noted here that, a similar, constituent part of this triangle but not the same, is the Kepler triangle discovered by Magirus .

Quadrature of the circle by compass and ruler is achieved based on the special quality of this triangle [ a quadrature triangle] and its relationship with circle, the parallelogramme and the square.

Autocad used: Geometry and Vector definition by Panagiotis Stefanides assisted for the Computerized AutoCad Drawing by Dr. Giannis Kandylas.


CIRCLE'S QUADRATURE
AUTOCAD
2009
WORK RELATED TO THE QUADRATURE OF THE CIRCLE VIA INTERPRETING PLATO'S TIMAEUS " MOST BEAUTIFUL TRIANGLE"

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## More information:

http://www.stefanides.gr/pdf/2012_Oct/PHOTO_09_PCST_GEOMETRY.pdf

```
tan0=T = SQRT(ISQRT(5)+1/2) = 1,27201965 . = ACC
0=51.82729229
D2= 25,88854384
C=D = A}= circumferance
nD7/4 = 20,3523144 = area of circle
[forn=חEx=3,1446055.
```




QUADRATURE OF THE CIRCLE
AUTOCAD
2009
QUADRATURE OF THE CIRCLE

AUTOCAD

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http://www.stefanides.gr/Html/QuadCirc.htm]

SATISFYING VALUE OF $\mathrm{Pi}=$ 4/SQRT[GOLDEN RATIO] $=3.14460551$..

Autocad used: Geometry and Vector definition by Panagiotis Stefanides assisted for the Computerized AutoCad Drawing by Dr. Giannis Kandylas.

More information:
http://www.stefanides.gr/pdf/2012_Oct/PHOTO_12.pdf


NESTED CIRCLES SQUARES TERIANGLES- MAXIMUM SYMMETRY POINT AUTOCAD

2009
NESTED CIRCLES SQUARES TERIANGLES- MAXIMUM SYMMETRY POINT

AUTOCAD

2009

NESTED CIRCLES SQUARES TERIANGLES- MAXIMUM SYMMETRY POINT FOR VALUE OF Pi = 4/SQRT[GOLDEN RATIO] = 3.14460551..

WORK RELATED TO THE QUADRATURE OF THE CIRCLE VIA INTERPRETING PLATO'S TIMAEUS " MOST BEAUTIFUL TRIANGLE"

Quadrature of the circle by compass and ruler is achieved based on the special quality of
this triangle [ a quadrature triangle] and its relationship with circle, and the square:
[ Ref my web-link: http://www.stefanides.gr/Html/theo_circle.htm ]

Autocad used: Geometry and Vector definition by Panagiotis Stefanides assisted for the Computerized AutoCad Drawing by Dr. Giannis Kandylas.

More information:
http://www.stefanides.gr/pdf/2012_Oct/PHOTO_13_GEOMETRY_DESIGN.pdf

## POSTERS EXHIBITED IN THE CONFERENCE MATHEMATICAL ART GALLERIES



$$
\text { For: } \quad \pi=4 / \sqrt{\varphi}
$$

Quadrature of the Circle, Compass and Ruler - NOVEL CONCEPT - via "The Quadrature Triangle"
$D=4 * \sqrt{\varphi_{=5.0880786} . ., ~[~ R e d ~ C i r c l e], ~} \boldsymbol{\pi}^{*} D=4 * 4=16=$ Square [Side 4] Perimeter $=$ Circle[Red]
Circumference , $[\pi / 4]^{*} D^{\wedge} 2=16^{*} \sqrt{\varphi}=[4.51135394 . .]^{\wedge} 2=$ Circle $[$ Red $]$ Area =
$=$ Square $[$ Side 4.51135394.$]$ Area $=20.3523144 .$.
= Square [ Side 4.51135394.. ] Area= 20.3523144..
Geometry Design and Vector Definition of Coordinates by P.Stefanides, http://www.stefanides.gr
AutoCad Computerized Drawing by Dr. J. Kandylas
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## For: $\quad \pi=4 / \sqrt{\varphi}$

Quadrature of the Circle, Compass and Ruler - NOVEL CONCEPT - via "The Quadrature Triangle"
$D=40 * \sqrt{\varphi_{=50.8807859} . .,} \quad \boldsymbol{m}^{*} D=4 * 40=160=$ Square [Side 40] Perimeter $=$
$=\operatorname{Circle}[$ Red $]$ Circumference , $\left.[\pi / 4]^{*} \mathbf{D}^{\wedge} 2=16^{*} \sqrt{\varphi}=[45.1135394 .].\right]^{\wedge} 2=$ Circle[Red $]$ Area $=$
= Square [ Side 45.113539.. ] Area=2035.2314..
Geometry Design and Vector Definition of Coordinates by P.Stefanides, http://www.stefanides.gr
AutoCad Computerized Drawing by Dr. J. Kandylas
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MICROCOSMOS Geometrically Related to the MACROCOSMOS
" Nested Circles, Squares, Triangles"
Quadrature of the Circle, Compass and Ruler - NOVEL CONCEPT - via "The Quadrature Triangle"
CONFIGURATION EXHIBITNG MAXIMUM SYMMETRY
For Value of $\quad \pi=4 / \sqrt{\varphi} \quad[=3.14460551 .$.
Circumference of Circle [ $\mathrm{D}=40 * \sqrt{\varphi}=50.88078596 .$. ] = Square [ Side 40 ] Perimeter, and
Product 40*D= Area of this Circle = A Square area of Side 45.1135941..
Geometry Design and Vector Definition of Coordinates by P.Stefanides, http://www.stefanides.gr
AutoCad Computerized Drawing by Dr. J. Kandylas
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http://gallery.bridgesmathart.org/exhibitions/2014-bridges-conference/panagiotisstefanides

Bridges Seoul 2014
Mathematics, Music, Art, Architecture, Culture
Gwacheon National Science Museum
Seoul, Korea

August 14-19, 2014 (Thursday-Tuesday)
http://bridgesmathart.org/bridges-2014/2014-art-exhibition/


