

# **PANAGIOTIS STEFANIDES**

CHARTERED ENGINEER [UK] HELLENIC AEROSPACE INDUSTRY S.A. [ ex ] 8, ALONION St., KIFISSIA 14562 - ATHENS GREECE panamars@otenet.gr http://www.stefanides.gr http://www.stefanides.gr/pdf/GOLDEN\_ROOT\_SYMMETRIES\_OF\_GEOMETRIC\_FOR MS\_by\_Panagi... WORK RELATED TO THE QUADRATURE OF THE CIRCLE VIA INTERPRETING PLATO'S TIMAEUS '' MOST BEAUTIFUL TRIANGLE''

This work, presented to various conferences, is a proposed interpretation of Plato's Timaeus Scalene Orthogonal Triangle by Panagiotis Stefanides.

It is noted here that, a similar, constituent part of this triangle but not the same, is the Kepler triangle discovered by Magirus .

Quadrature of the circle by compass and ruler is achieved based on the special quality of this triangle [ a quadrature triangle] and its relationship with circle, the parallelogramme and the square.

Autocad used: Geometry and Vector definition by Panagiotis Stefanides assisted for the Computerized AutoCad Drawing by Dr. Giannis Kandylas.



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CIRCLE'S QUADRATURE
AUTOCAD
2009
WORK RELATED TO THE QUADRATURE OF THE CIRCLE VIA INTERPRETING
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#### More information:



QUADRATURE OF THE CIRCLE AUTOCAD 2009 QUADRATURE OF THE CIRCLE

AUTOCAD

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http://www.stefanides.gr/Html/QuadCirc.htm]

### SATISFYING VALUE OF Pi = 4/SQRT[GOLDEN RATIO] = 3.14460551..

Autocad used: Geometry and Vector definition by Panagiotis Stefanides assisted for the Computerized AutoCad Drawing by Dr. Giannis Kandylas.

More information: http://www.stefanides.gr/pdf/2012\_Oct/PHOTO\_12.pdf



NESTED CIRCLES SQUARES TERIANGLES- MAXIMUM SYMMETRY POINT

AUTOCAD

2009

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AUTOCAD

2009

NESTED CIRCLES SQUARES TERIANGLES- MAXIMUM SYMMETRY POINT FOR VALUE OF Pi = 4/SQRT[GOLDEN RATIO] = 3.14460551..

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Quadrature of the circle by compass and ruler is achieved based on the special quality of

this triangle [ a quadrature triangle] and its relationship with circle, and the square:

[ Ref my web-link: http://www.stefanides.gr/Html/theo\_circle.htm ]

Autocad used: Geometry and Vector definition by Panagiotis Stefanides assisted for the Computerized AutoCad Drawing by Dr. Giannis Kandylas.

More information: http://www.stefanides.gr/pdf/2012\_Oct/PHOTO\_13\_GEOMETRY\_DESIGN.pdf

# POSTERS EXHIBITED IN THE CONFERENCE MATHEMATICAL ART GALLERIES



For:  $\pi = 4/\sqrt{\varphi}$ Quadrature of the Circle, Compass and Ruler - NOVEL CONCEPT - via "The Quadrature Triangle" D = 4\*  $\sqrt{\varphi}$ =5.0880786.., [Red Circle],  $\pi^*D = 4*4 = 16=$  Square [Side 4] Perimeter = Circle[Red] Circumference,  $[\pi/4]*D^2 = 16*\sqrt{\varphi} = [4.51135394...]^2 =$ Circle[Red] Area = = Square [Side 4.51135394...] Area= 20.3523144...

Geometry Design and Vector Definition of Coordinates by P.Stefanides, <u>http://www.stefanides.gr</u> AutoCad Computerized Drawing by Dr. J. Kandylas © Copyright 1987 - 2014 Eur Ing Panagiotis Chr. Stefanides CEng MIET



For:  $\pi = 4/\sqrt{\varphi}$ Quadrature of the Circle, Compass and Ruler - NOVEL CONCEPT - via "The Quadrature Triangle"  $D = 40^{*}\sqrt{\varphi} = 50.8807859..., \pi^{*}D = 4^{*}40 = 160 =$ Square [Side 40] Perimeter = = Circle[Red] Circumference,  $[\pi/4]^{*}D^{2} = 16^{*}\sqrt{\varphi} = [45.1135394...]^{2} =$ Circle[Red] Area = =Square [Side 45.113539..] Area= 2035.2314.. Geometry Design and Vector Definition of Coordinates by P.Stefanides, <u>http://www.stefanides.gr</u> AutoCad Computerized Drawing by Dr. J. Kandylas © Copyright 1987 - 2014 Eur Ing Panagiotis Chr. Stefanides CEng MIET



MICROCOSMOS Geometrically Related to the MACROCOSMOS "Nested Circles, Squares, Triangles"

Quadrature of the Circle, Compass and Ruler - NOVEL CONCEPT - via "The Quadrature Triangle" CONFIGURATION EXHIBITING <u>MAXIMUM SYMMETRY</u>

For Value of 
$$\pi = 4/\sqrt{\varphi}$$
 [= 3.14460551..]

Circumference of Circle [ D = 40\* V ♀=50.88078596..] = Square [Side 40] Perimeter, and Product 40\*D= Area of this Circle = A Square area of Side 45.1135941.. Geometry Design and Vector Definition of Coordinates by P.Stefanides, http://www.stefanides.gr AutoCad Computerized Drawing by Dr. J. Kandylas © Copyright 1987 - 2014 Eur Ing Panagiotis Chr. Stefanides CEng MIET http://gallery.bridgesmathart.org/exhibitions/2014-bridges-conference

http://gallery.bridgesmathart.org/exhibitions/2014-bridges-conference/panagiotisstefanides

### Bridges Seoul 2014 Mathematics, Music, Art, Architecture, Culture Gwacheon National Science Museum Seoul, Korea

## August 14-19, 2014 (Thursday-Tuesday)

http://bridgesmathart.org/bridges-2014/2014-art-exhibition/

